

# NSF Center for Micro and Nanoscale Contamination Control



## Metrology and Removal of Nanoscale Particles from EUV Substrates

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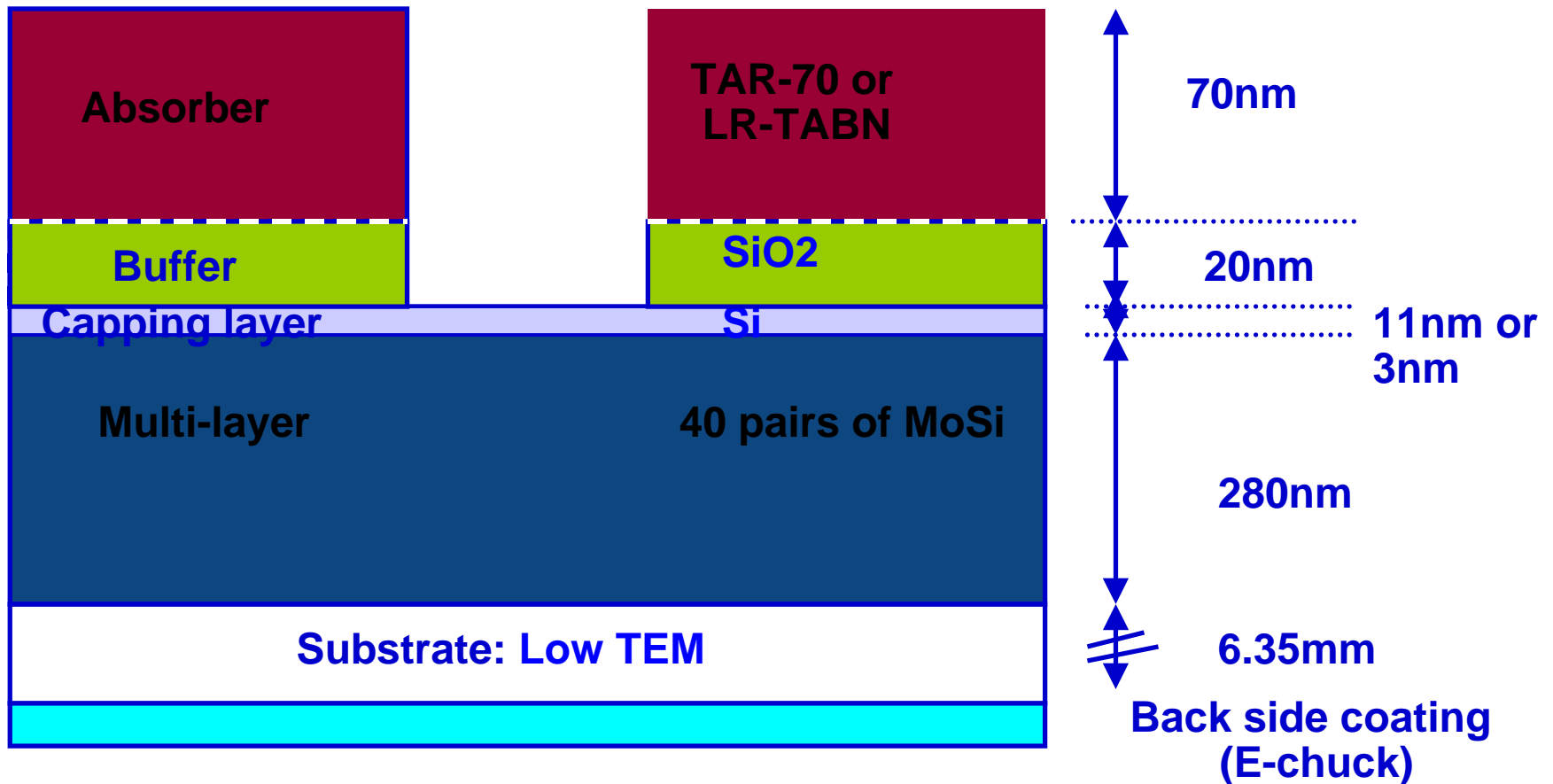


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# Introduction

- ❑ EUV lithography wafer patterning operates without a pellicle.
- ❑ The reticle may be subject to particulate and chemical contamination, in the absence of a pellicle.
- ❑ There is a need to develop a cleaning process that would remove all contaminants according to EUV cleaning requirements.
- ❑ EUV cleaning requirements are:
  - ❑ Removal of all particles larger than 30nm
  - ❑ Eliminate residual organic contamination
  - ❑ Cleaning should not degrade EUV (13.4nm) mask reflectivity by more than 0.5% with cumulated cleans
  - ❑ The process should not induce pattern or substrate damage with cumulated cleans
  - ❑ The clean process should adhere to the environmental safety standards.

# EUV Mask



# Particle Adhesion Force: van der Waals

◆ van der Waals Force  $F_0 = \frac{AR}{6z_0^2}$

◆ Adhesion-Induced Deformation  
Elastic Deformation

$$\mu = \frac{32}{3\pi} \left[ \frac{2Rw_A^2}{\pi E^{*2} z_0^3} \right]^{1/3}$$

$\mu > 1$  JKR Model

$$a = \left( \frac{6\pi w_A R^2}{K} \right)^{1/3}$$

$\mu < 1$  DMT model

$$a = \left( \frac{\pi w_A R^2}{K} \right)^{1/3}$$

where  $K = \frac{4}{3} \frac{1}{\frac{1-\nu_1^2}{E_1} + \frac{1-\nu_2^2}{E_2}}$

Plastic Deformation (when pressure > hardness)

MP Model

$$a = \left( \frac{2w_A R}{3Y} \right)^{1/2}$$

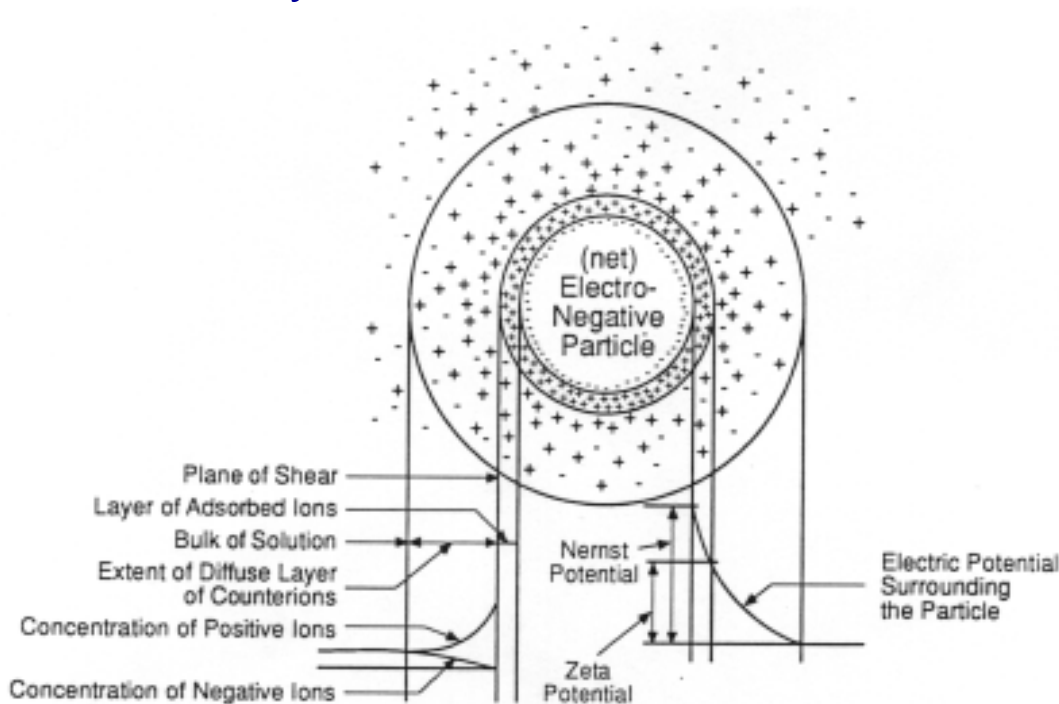
◆ Total Adhesion Force

$$F_a = F_{vdW} + F_{deformation} = \frac{AR}{6z_0^2} \left( 1 + \frac{a^2}{Rz_0} \right)$$

# Electrical double layer force

## • Origin of electrical double layer force

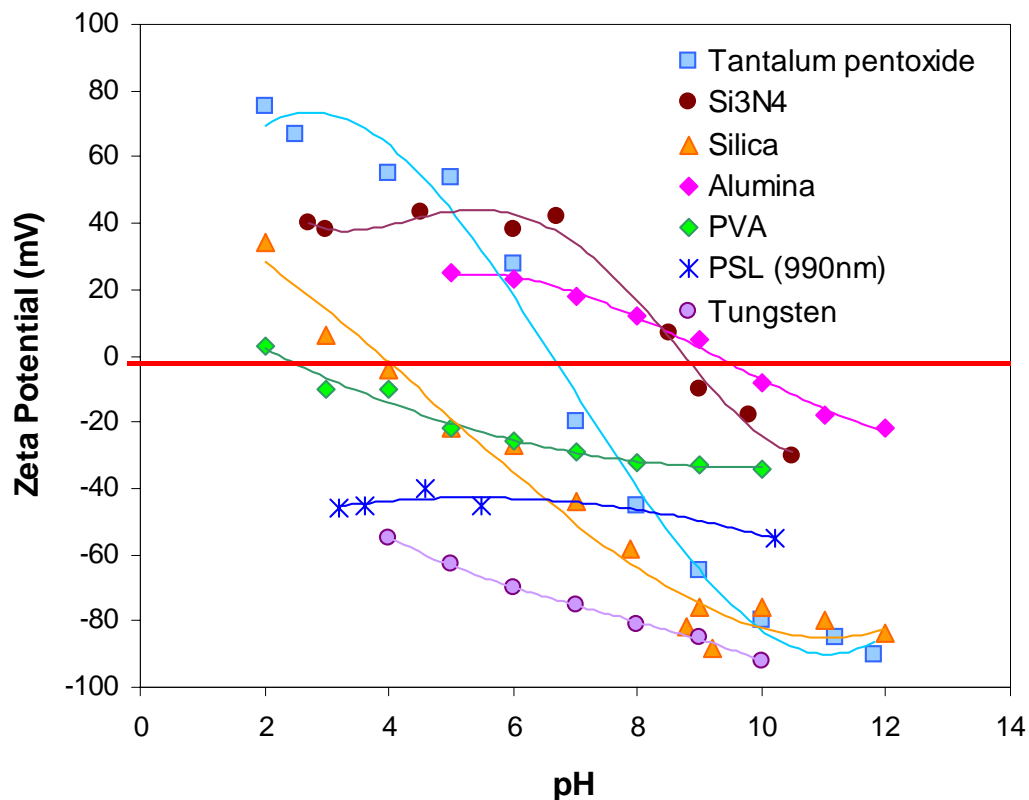
Osmotic pressure makes the counterions leave the surface against the attractive Coulombic force pulling them back and maintains the diffuse double layer.



- Particles in solution become Charged
- Stern layer + Diffuse layer = Double layer
- Potential at shear plane = Zeta Potential
- Function of pH

# Electrical double layer force

## Zeta Potential



- At the pH of water, silica, PSL, PVA, and W particles are all negatively charged.
- The high negative zeta potentials are measured at high pH solution for SiO<sub>2</sub>, Si<sub>3</sub>N<sub>4</sub>, Al<sub>2</sub>O<sub>3</sub>, tantalum pentoxide, tungsten, polyvinyl alcohol (PVA), and also for Si and PSL.

# Electrical Double Layer Force

## different approximate expressions

- **Hogg-Healy-Fuerstenau (HHF) equation under constant potential**

Based linear P-B equation and using Derjaguin approximation

$$F(D) = 2\pi\epsilon_r\epsilon_0R(\Psi_{01}^2 + \Psi_{02}^2) \frac{\kappa e^{-\kappa D}}{1 - e^{-2\kappa D}} \left[ \frac{2\Psi_{01}\Psi_{02}}{\Psi_{01}^2 + \Psi_{02}^2} - e^{-\kappa D} \right] \quad \kappa^2 = (e^2 / \epsilon\epsilon_0 kT) \sum_i z_i^2 \rho_{i\infty}$$

- **HHF equation under constant charge**

$$F(D) = 2\pi\epsilon_r\epsilon_0R(\Psi_{01}^2 + \Psi_{02}^2) \frac{\kappa e^{-\kappa D}}{1 - e^{-2\kappa D}} \left[ \frac{2\Psi_{01}\Psi_{02}}{\Psi_{01}^2 + \Psi_{02}^2} + e^{-\kappa D} \right]$$

- **Linear superposition approximation (LSA)**

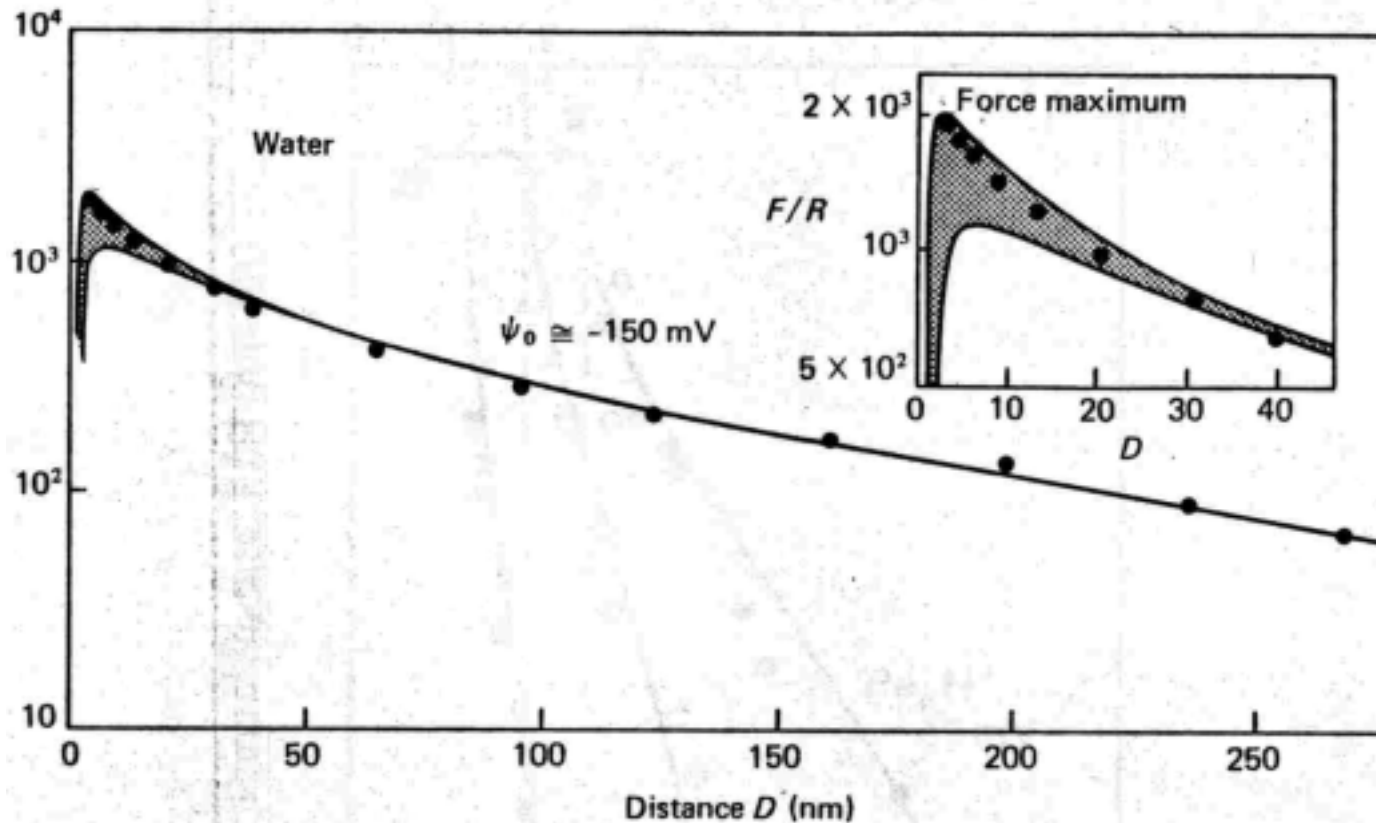
$$F(D) = \frac{128\pi\rho_\infty kTR\gamma_1\gamma_2}{\kappa} \exp(-\kappa D) \quad \gamma = \tanh(ze\Psi / 4kT) = \frac{\exp(ze\Psi / 2kT) - 1}{\exp(ze\Psi / 2kT) + 1}$$

- **“Compression” approximation (constant charge)**

$$F(D) = \frac{4\pi R\rho_\infty kT}{\kappa} \left[ 2\bar{y} \ln\left(\frac{B + \bar{y} \coth(\kappa D / 2)}{1 + \bar{y}}\right) - \ln(\bar{y}^2 + \cosh \kappa D + B \sinh \kappa D) + \kappa D \right]$$

where  $\bar{y} = (y_1 + y_2) / 2$  and  $y = ze\psi / kT$  and  $B = [1 + \bar{y}^2 \csc^2 h^2(\kappa D / 2)]^{1/2}$

# Experimental Measurements

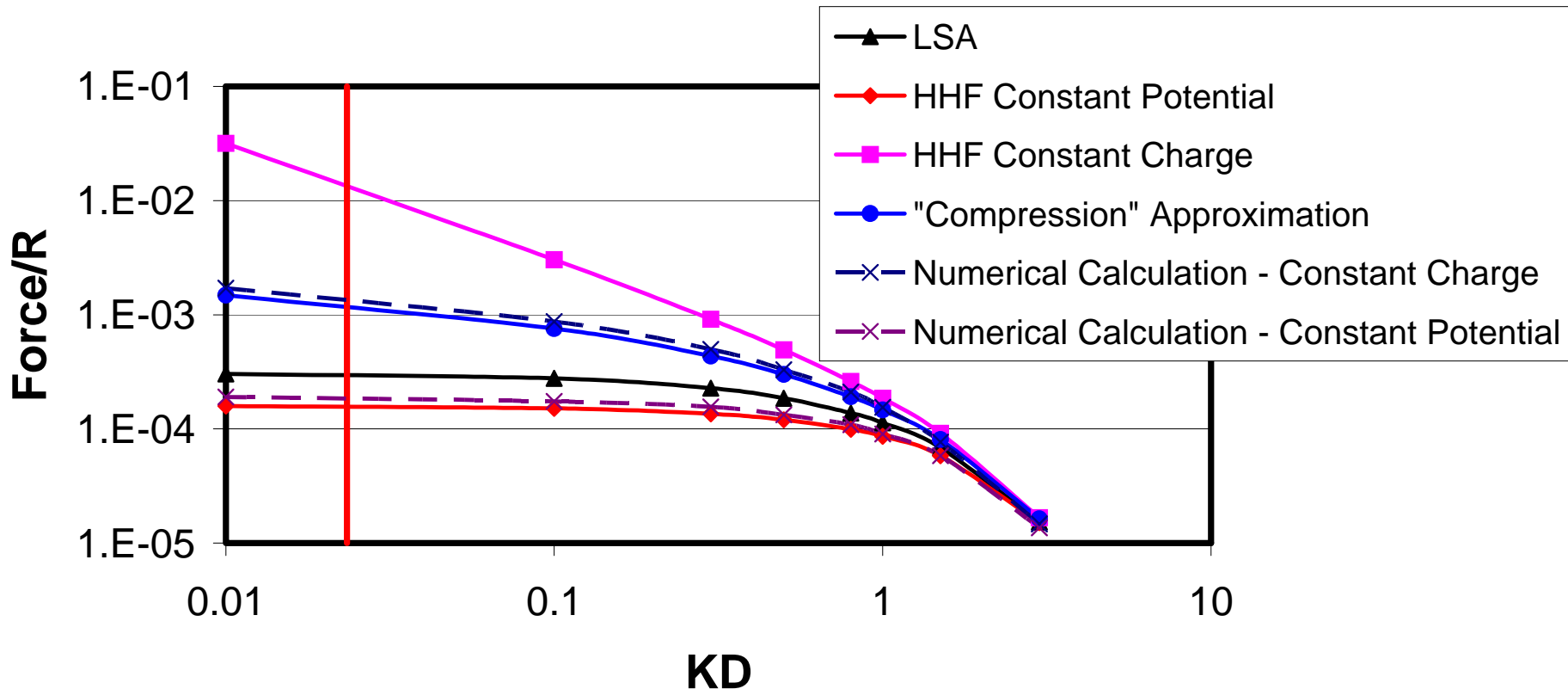


Direct force measurement between mica-mica surfaces by Israelachvili, J. N., and Adams, G. J. Chem. Soc. Faraday Trans 1, 74, 975, 1978. (Two solid lines are constant-charge and constant-potential limits)

# Electrical Double Layer Force

## Comparison of Different Expressions

Sphere of radius  $R$  with a plate in SC1 ( $\kappa=5.8E7$ )  $\psi_1=\psi_2=-25mV$

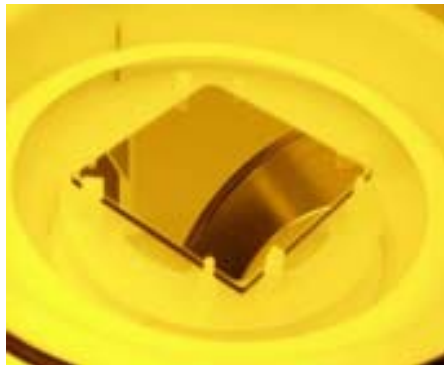
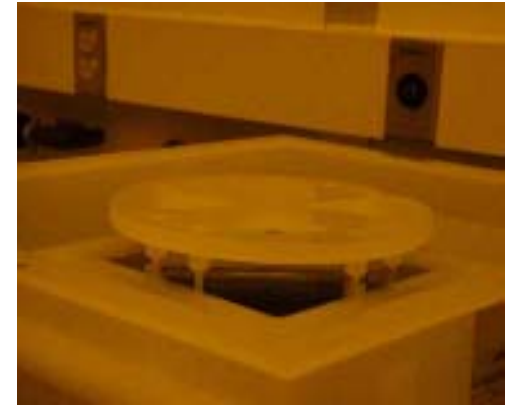


(The vertical red line represents  $\kappa z_0$ , where  $\kappa$  is the value of SC1 and  $z_0=0.4nm$ , the separation distance between particle and plate)

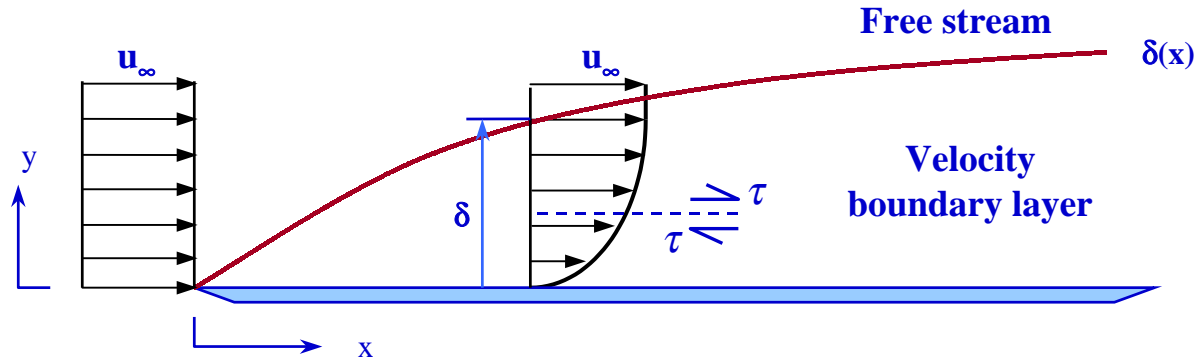
# Chuck using in Cleaning and Rinsing



EUVL masks consist of a patterned absorber of EUV radiation placed on top of an ML reflector deposited on a robust and solid substrate.



# Acoustic Boundary Layer Thickness



Velocity boundary layer on a flat plate

## Acoustic boundary layer thickness:

$$\delta_{ac} = \left( \frac{2\nu}{\omega} \right)^{\frac{1}{2}}$$

in water,  $f=850\text{KHz}$ ,  $\delta_{ac}=0.61\mu\text{m}$

$f=760\text{KHz}$ ,  $\delta_{ac}=0.65\mu\text{m}$

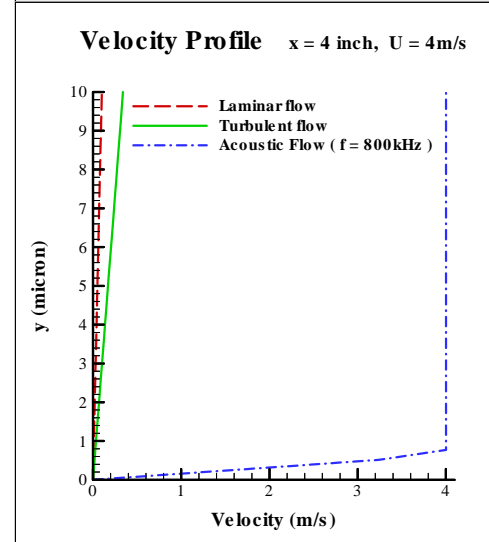
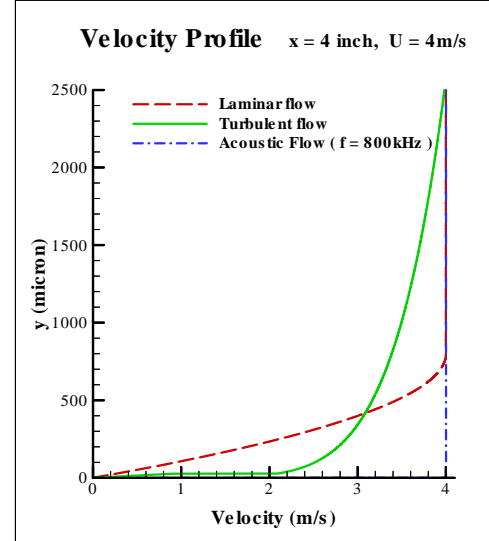
$f=360\text{KHz}$ ,  $\delta_{ac}=0.94\mu\text{m}$

## The hydrodynamic boundary layer thickness:

$$\delta_{H,Turbulent} = 0.16 \left( \frac{\nu}{Ux} \right)^{\frac{1}{7}} \cdot x \propto x^{\frac{6}{7}}$$

in water,  $u=4\text{m/s}$ , at center of an 8" wafer,  $\delta_H=2570 \mu\text{m}$

$$\delta_{H,Laminar} = 5.0 \left( \frac{\nu}{Ux} \right)^{\frac{1}{2}} \cdot x \propto x^{\frac{1}{2}}$$

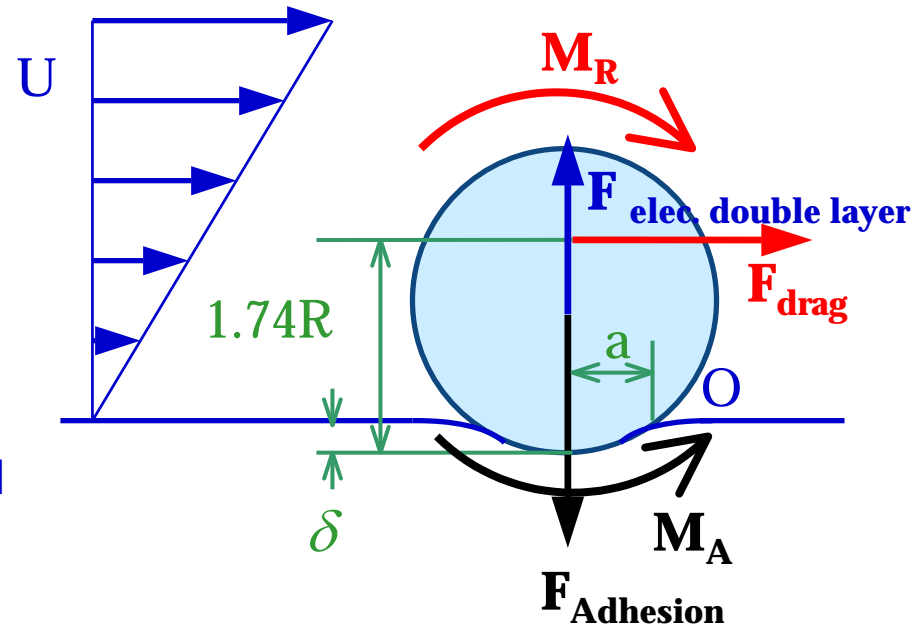


# Particle Removal Mechanism

- The experimental results show that when  $MR > 1$ , 80 % of particles are removed.
- Why smaller particles are more difficult to remove?  
Existence of boundary layer;  
Drag force  $\propto d^2$  but Adhesion force  $\propto d$
- Advantage of megasonic cleaning  
Much thinner boundary layer thickness

$$\delta_{ac} = \left( \frac{2\nu}{\omega} \right)^{\frac{1}{2}}$$

- Electrical double layer force plays an important role in particle removal



Rolling removal mechanism

$$MR = \frac{\text{Removal moment}}{\text{Adhesion resisting moment}}$$

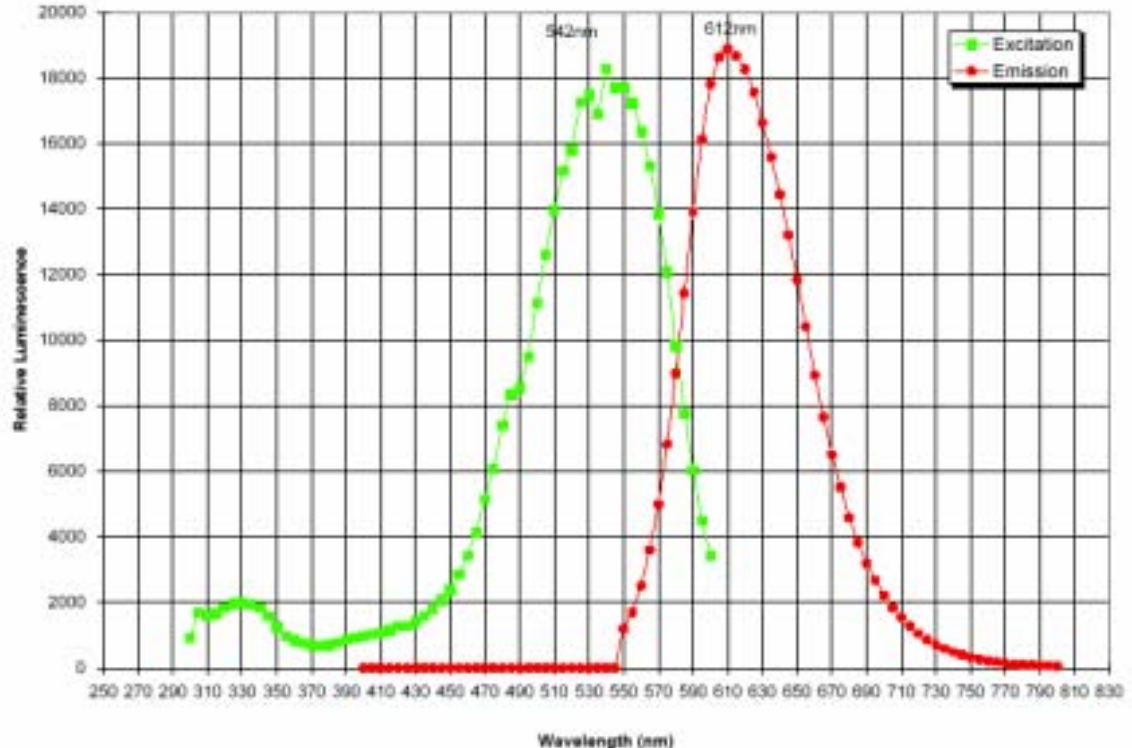
$$MR = \frac{F_d(1.74R - \delta) + F_{dl} \cdot a}{F_a \cdot a}$$

# Introduction

## Visualization of Fluorescent Particles



- Nikon's OPTIPHOT200 optical microscope with auto stage
- Nikon G block filter
- 75 W Xenon arclamp
- Extra N.D filter



Fluorescent Cube

# Wafer Cleaning Results (Removal of 63 nm PSL Particles)

➤ Particles are counted at 5 locations as shown in the sketch.

➤ The width and the height of the each area to be scanned is 2000 micron.

➤ Particles are counting using the Image Pro-Plus Program.

## Experimental conditions:

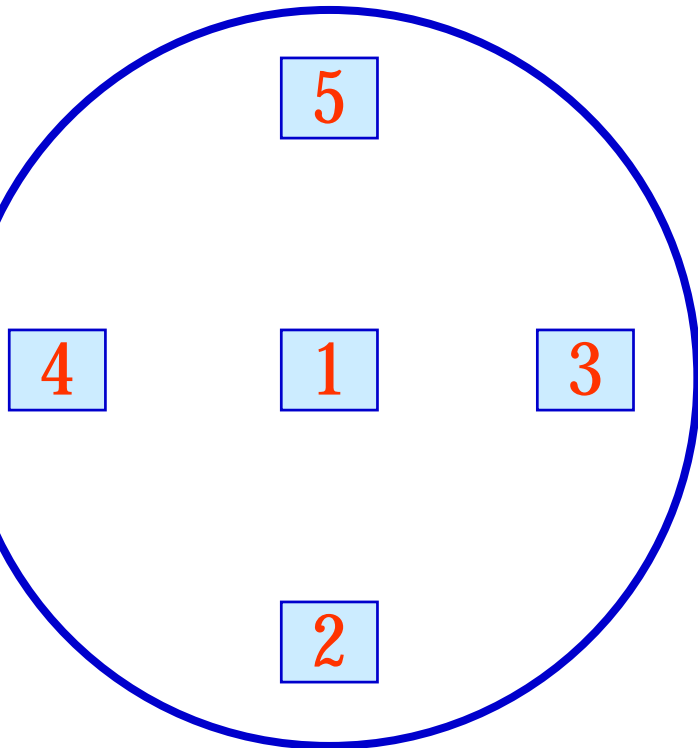
Cleaning parameters

**Power:** 87 % (640 watt max.)

**Temp.:** 50 ° C (DI water), 38 ° C (SC1)

**Time:** 2,4,6,8 min.

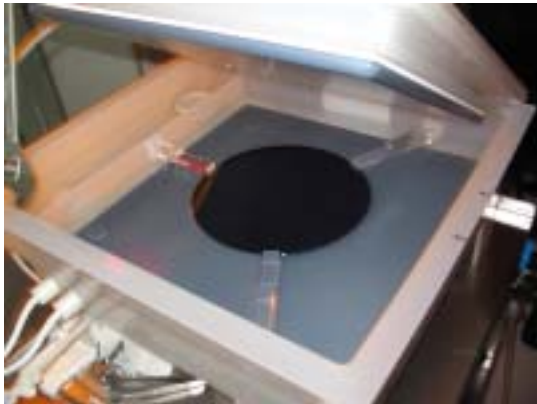
**Frequency:** 760 kHz



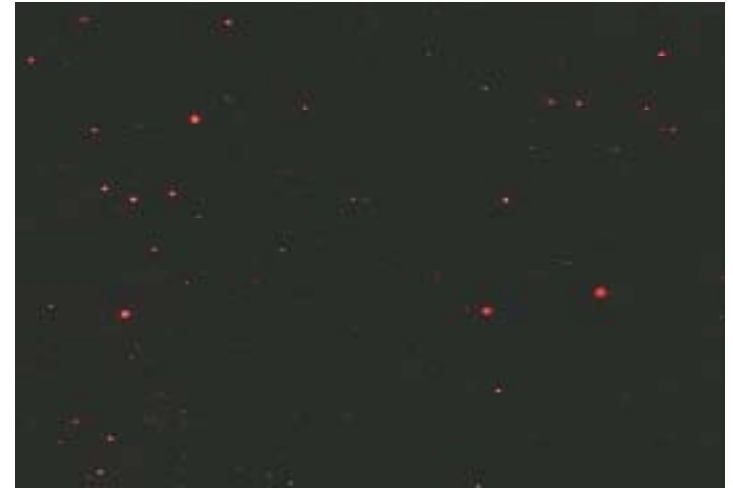
# Nano-Particle Removal with Megasonics Has been Demonstrated Using Fluorescence Microscopy

## Removal of nanoscale PSL Flourescent Particles

90 and 63 PSL particles were removed from bare silicon wafers using the Single wafer megasonic cleaning tank.



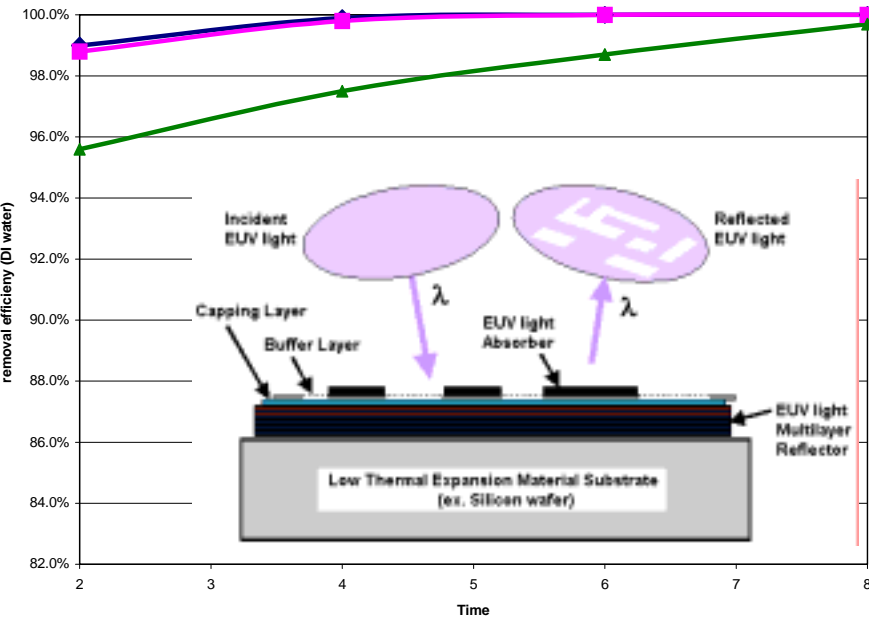
63 nm  
Before



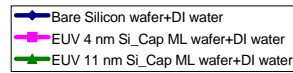
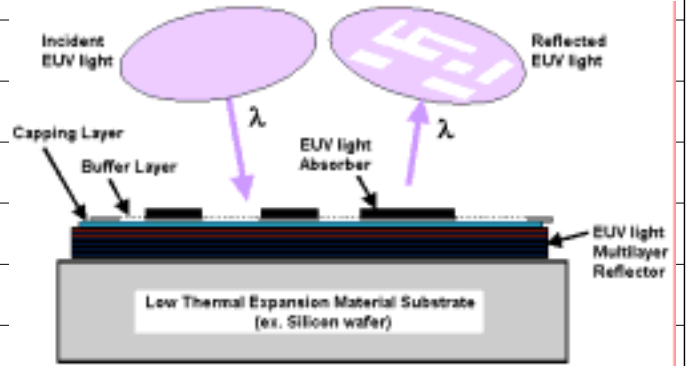
63 nm  
After



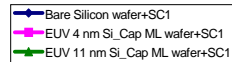
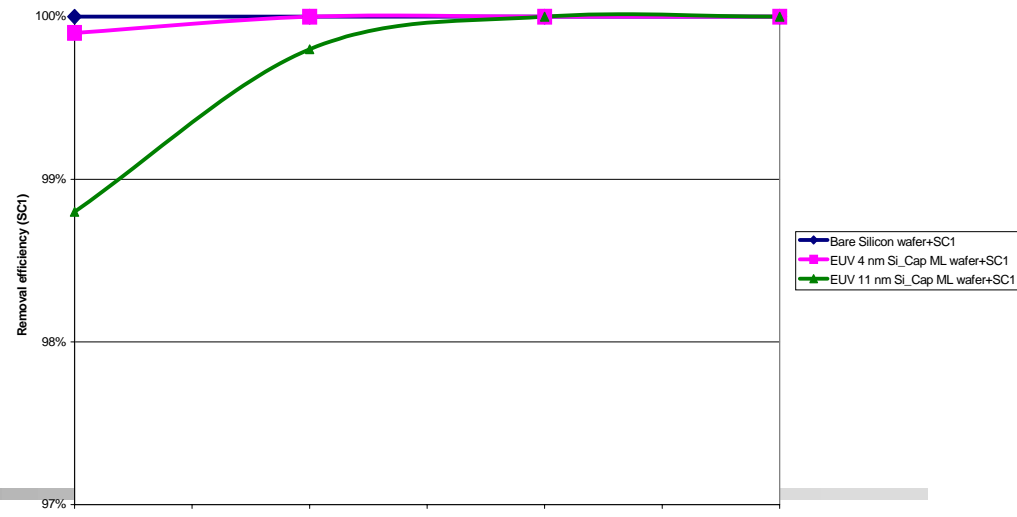
# Nanoparticle (63 nm PSL) Removal Using Acoustic Streaming



DI water



Dilute SC1 chemistry



# Nanoparticle (50 nm PSL) Removal Using Acoustic Streaming

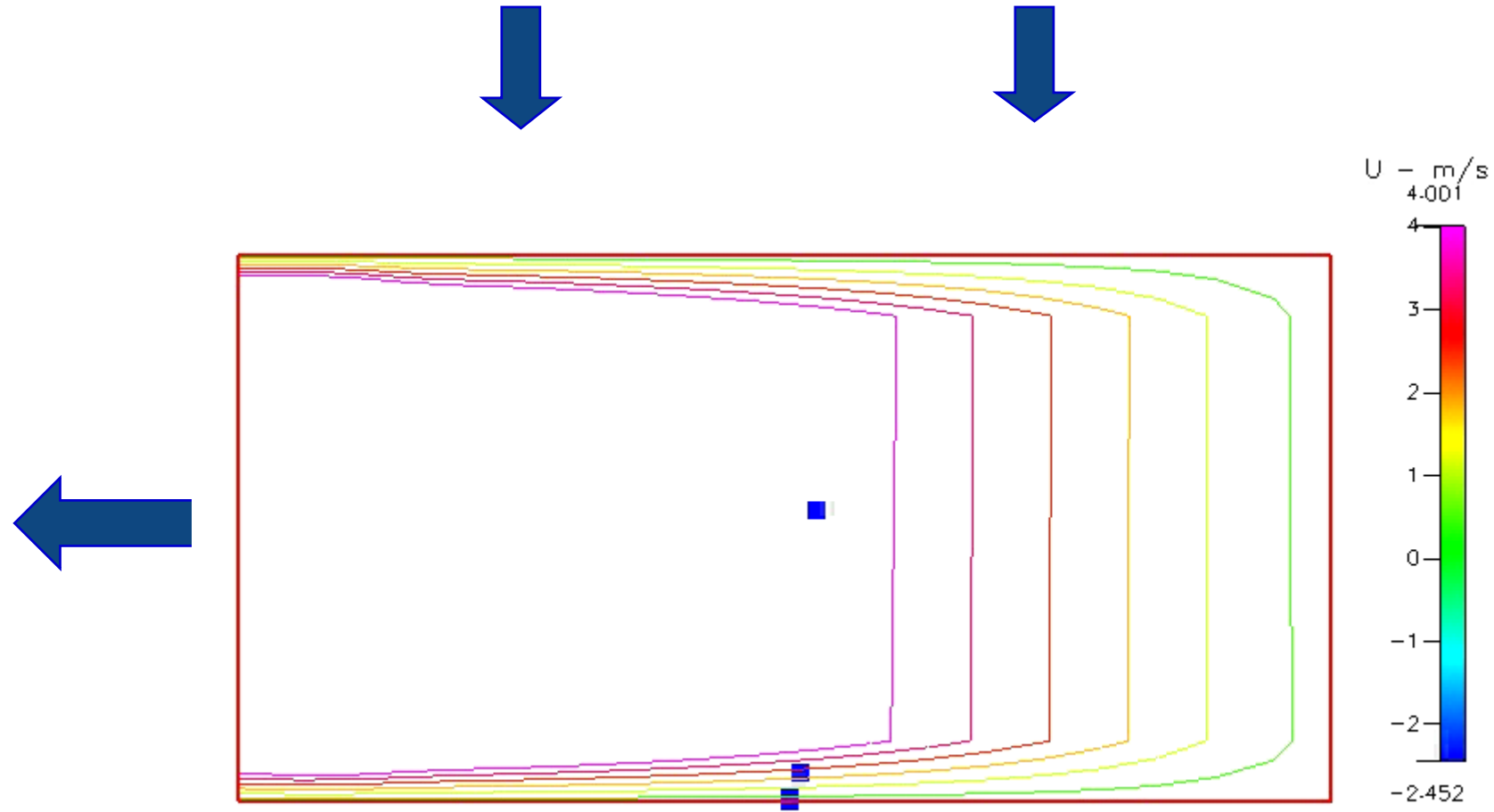
| 50nm Particle Removal from 11nm Using SC1 | Power (%) | Time (mins) | Temperature (°C) | Before | After | Removal Efficiency (%) |
|---|-----------|-------------|------------------|--------|-------|------------------------|
| 1.  | 87        | 7           | 37.5             | 1082   | 0     | 100                    |
| 2.  | 62.5      | 4.5         | 37.5             | 1398   | 0     | 100                    |

| 50nm Particle Removal from 11nm Using DI water | Power (%) | Time (mins) | Temperature (°C) | Before | After | Removal Efficiency (%) |
|--|-----------|-------------|------------------|--------|-------|------------------------|
| 1.   | 87        | 7           | 35               | 695    | 12    | 98.3                   |
| 2.   | 87        | 8           | 35               | 938    | 21    | 97.8                   |

# Why does it take time to remove the particles?

- ❑ Why does it take 8 minutes to remove nanoparticles compared to one minute when dealing with submicron particles?
- ❑ Physical modeling using Computational Fluid Dynamics (CFD) can shed some light on the effect of time.

# Why does it take time to remove 63 nm particles?



CFD Animation: time = 0.01 second, Height= 1 cm, width=2 cm

# Summary and Conclusions

## ➤ Double layer Force Calculations

- Electrical double layer force can be described using the assumption of either constant charge or constant potential.
- HHF equation describes the constant potential limit well.
- “Compression” approximation describes the constant charge limit better than HHF equation which overestimates the interaction force.
- Direct force measurement results show that data lie in-between constant charge and constant potential limits and closer to constant charge limit.
- Compression approximation is used in our calculation.

# Summary and Conclusions

- ❑ The local removal of nanoscale particles (63 nm monodispersed polystyrene spheres; PSL) using megasonic cleaning is investigated experimentally in this study.
- ❑ The following substrates were used in the megasonic cleaning experiments; 4 nm Si<sub>cap</sub> ML wafers, 11 nm Si<sub>cap</sub> ML wafers.
- ❑ The results show that complete local removal of 63 nm PSL particles can be obtained in a short time for the Si wafer and 4 nm Si<sub>cap</sub> ML wafers.
- ❑ However, when megasonics is used with dilute SC1 complete local removal of 63 nm PSL particles is achieved under most cleaning conditions.
- ❑ Removal of nanoparticles takes longer than submicron particles
- ❑ The time effect can be explained by modeling the acoustic streaming phenomenon and its effect on particles.
- ❑ Particles also oscillate within the boundary layer before they leave the surface.
- ❑ Future work is underway to quantify global removal of 63nm PSL particles and understand mechanisms of particulates redeposition.

# Acknowledgement

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